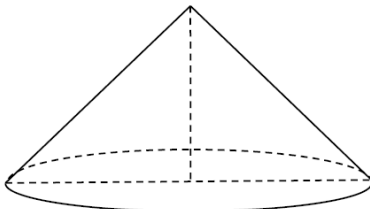
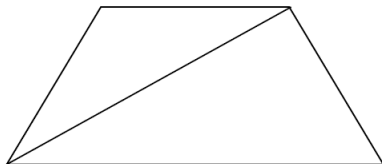


No	Items	Score	
ALGEBRA			
1.	Calculate the value of the expression $0,2 + \sqrt[3]{\frac{34}{125}} - 2$. <i>Solution:</i> <i>Answer:</i>_____.	L 0 1 2 3 4 5	L 0 1 2 3 4 5
2.	Solve in the set $\mathbb{R}$ the inequality $64 \cdot 0,25^t < 1$. <i>Solution:</i> <i>Answer:</i>_____.	L 0 1 2 3 4 5	L 0 1 2 3 4 5
3.	Determine the real values of x, such that the matrix $A = \begin{pmatrix} \frac{1}{x} & 4 + x \\ 2 & x^3 \end{pmatrix}$ is invertible. <i>Solution:</i> <i>Answer:</i>_____.	L 0 1 2 3 4 5 6 7 8	L 0 1 2 3 4 5 6 7 8

4. Determine the real values of p and q, such that the complex number $z = 3 - i$ is a solution of the equation $z^2 + pz + q + 8i = 0$, where $i^2 = -1$. <i>Solution:</i> <i>Answer:</i>_____. L 0 1 2 3 4 5 6 7 8	
5. Consider $\alpha \in \left(\frac{\pi}{2}, \pi\right)$ and $\beta \in \left(0, \frac{\pi}{2}\right)$, such that: $\frac{\alpha}{2} + \beta = \frac{\pi}{2}, \quad 27 \sin^2 \alpha + 6 \cos \alpha - 26 = 0.$ Determine the value of $\sin \beta$. <i>Solution:</i> <i>Answer:</i>_____. L 0 1 2 3 4 5 6 7 8	

GEOMETRY				
6.	The axial section of a right circular cone is a right triangle. Determine the area of the lateral surface of the cone, if the height of the cone is 3 cm. <i>Solution:</i>		L	L
			0	0
			1	1
			2	2
			3	3
			4	4
5	5			
<i>Answer:</i>_____.				
7.	In an isosceles trapezoid the diagonal is perpendicular to the lateral side and has a length of 100 cm. Determine the perimeter of the trapezoid if the height of the trapezoid is 60 cm. <i>Solution:</i>		L	L
			0	0
			1	1
			2	2
			3	3
			4	4
			5	5
			6	6
			7	7
8	8			
<i>Answer:</i>_____.				

8.	The area of the lateral surface of a regular quadrilateral pyramid is 200 cm^2, and the dihedral angles at the base of the pyramid are of 60°. Determine the volume of the pyramid. <i>Solution:</i> <i>Answer:</i>_____.	L 0 1 2 3 4 5 6 7 8	L 0 1 2 3 4 5 6 7 8
MATHEMATICAL ANALYSIS			
9.	The numbers $30, k, -2$ are consecutive terms of an arithmetic progression. Determine the value of k. <i>Solution:</i> <i>Answer:</i>_____.	L 0 1 2 3 4 5	L 0 1 2 3 4 5
10.	Consider the function $f: \mathbb{R} \rightarrow \mathbb{R}, \quad f(x) = \frac{x}{x^2+4}$.		
	a) Determine the points of local extrema of the function f. <i>Solution:</i> <i>Answer:</i>_____.	L 0 1 2 3 4 5 6 7 8	L 0 1 2 3 4 5 6 7 8

b) Calculate: $\lim_{x \rightarrow 0} \frac{\sqrt{x^2+x+1}-1}{f(x)}$. <i>Solution:</i> <i>Answer:</i> _____.	L 0 1 2 3 4 5 6 7 8	L 0 1 2 3 4 5 6 7 8
c) Determine the real value of $m > 0$, such that the line $x = m$ divides the figure bounded by the graph of the function f, coordinate axes and the line $x = 2\sqrt{3}$ in two figures of equal areas. <i>Solution:</i> <i>Answer:</i>_____.	L 0 1 2 3 4 5 6 7 8	L 0 1 2 3 4 5 6 7 8

ELEMENTS OF COMBINATORICS. NEWTON'S BINOMIAL THEOREM.				
ELEMENTS OF PROBABILITY THEORY AND MATHEMATICAL STATISTICS				
11.	A random 4-digit number with non-repeating digits is formed using the digits 1, 2, 3, 4, 5, and 6. Determine the probability that the formed number contains the digit 5. <i>Solution:</i>	L 0 1 2 3 4 5 6 7 8	L 0 1 2 3 4 5 6 7 8	
	<i>Answer:</i>_____.			
12.	The sum of the coefficients of the first three and the last three terms in the binomial expansion $\left(\sqrt{x} + \frac{1}{\sqrt[3]{x}}\right)^n$ is equal to 112. Determine the middle term in the expansion. <i>Solution:</i>	L 0 1 2 3 4 5 6 7 8	L 0 1 2 3 4 5 6 7 8	
	<i>Answer:</i>_____.			

$$\begin{aligned} \log_a b^c &= c \log_a b, \quad a \in \mathbb{R}_+^* \setminus \{1\}, \quad b \in \mathbb{R}_+, \quad c \in \mathbb{R} \\ \log_a b + \log_a c &= \log_a(bc), \quad a \in \mathbb{R}_+^* \setminus \{1\}, \quad b, c \in \mathbb{R}_+^* \end{aligned}$$

$$\left(\frac{f}{g}\right)' = \frac{f' \cdot g - f \cdot g'}{g^2}$$

$$(x^\alpha)' = \alpha x^{\alpha-1}, \quad \alpha \in \mathbb{R}$$

$$\mathcal{A}_{lat.srf.area} = \pi R G$$

$$(a+b)^n = C_n^0 a^n + C_n^1 a^{n-1} b + C_n^2 a^{n-2} b^2 + \dots + C_n^k a^{n-k} b^k + \dots + C_n^n b^n$$

$$T_{k+1} = C_n^k a^{n-k} b^k, k \in \{0, 1, 2, \dots, n\}, \quad C_n^k = \frac{n!}{k!(n-k)!}, \quad A_n^k = \frac{n!}{(n-k)!}, \quad 0 \leq k \leq n$$